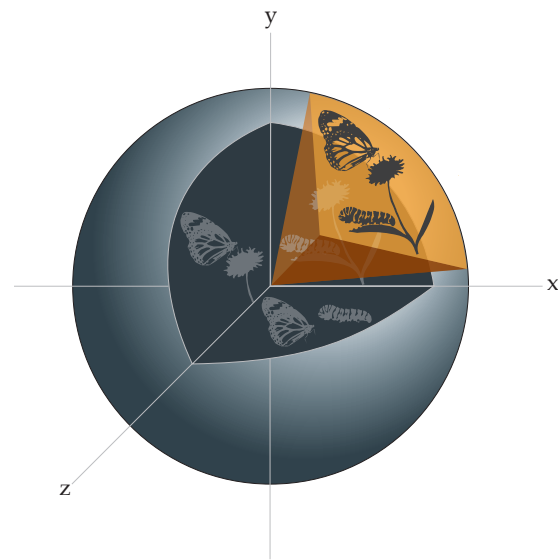


Towards a probabilistic understanding of transformations of species interactions

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STRUCTURAL ECOLOGY

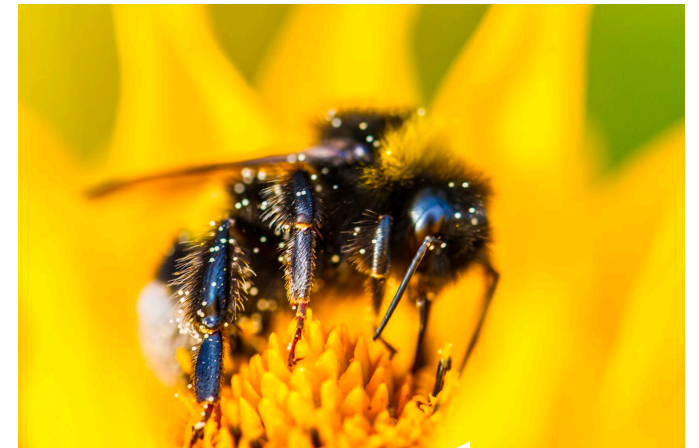
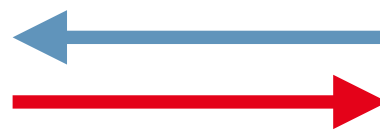
No species is an island



Competitive



Antagonistic

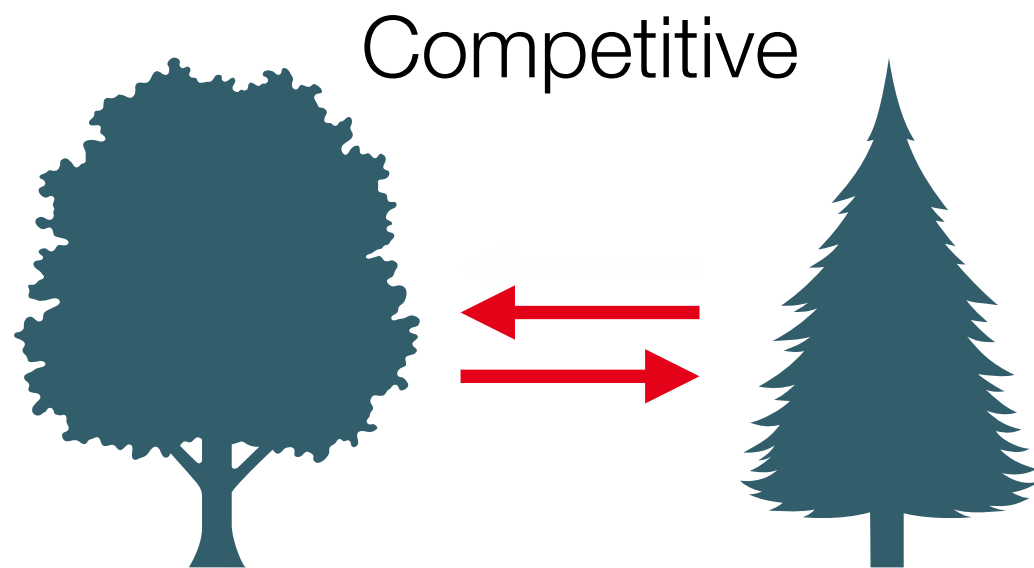


Mutualistic

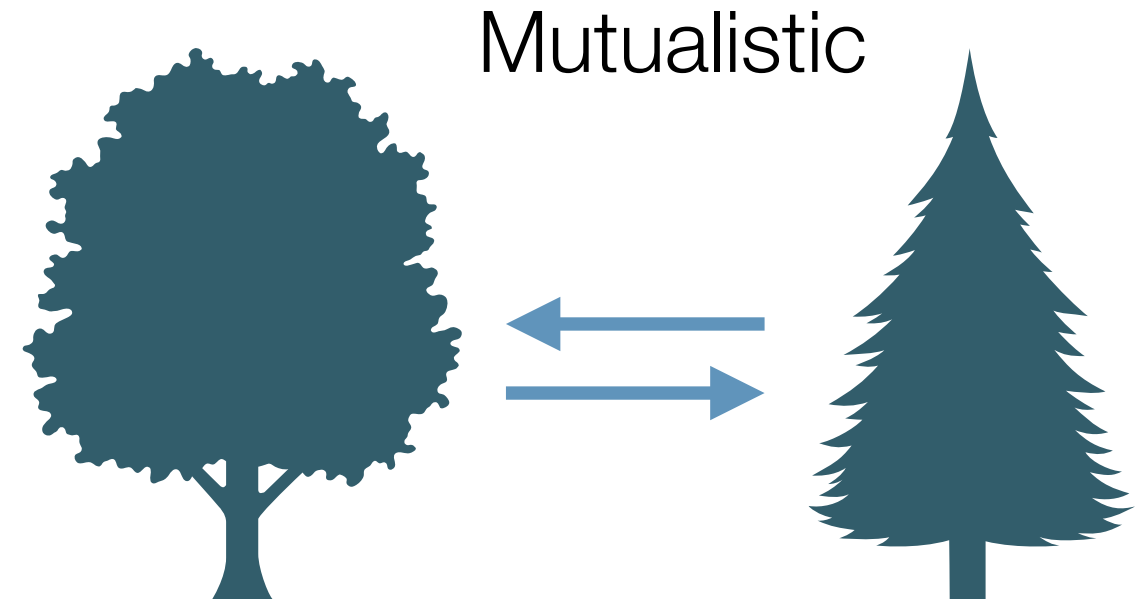


Building blocks of ecological communities

Types of species interactions are not fixed

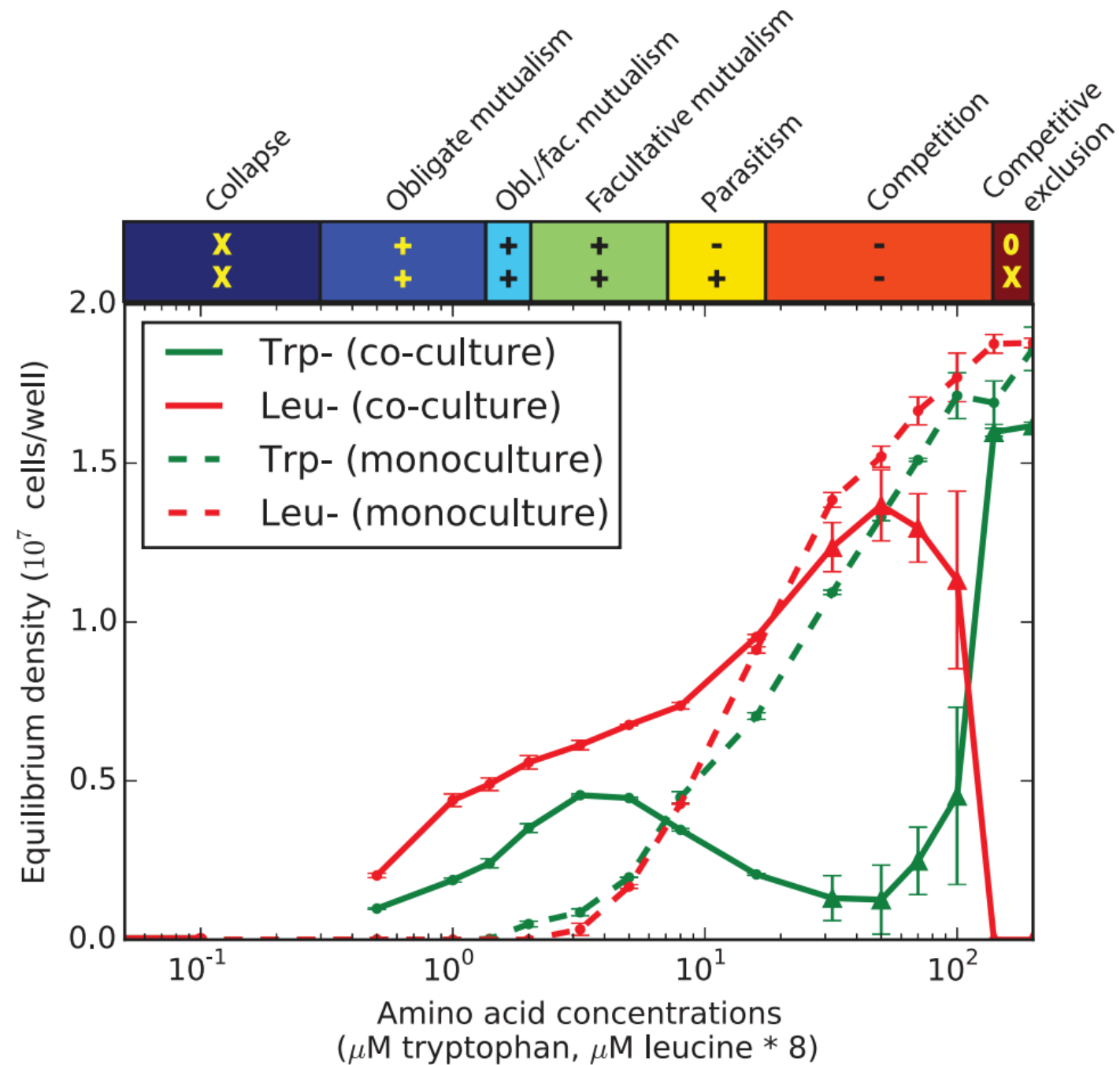


Low elevation

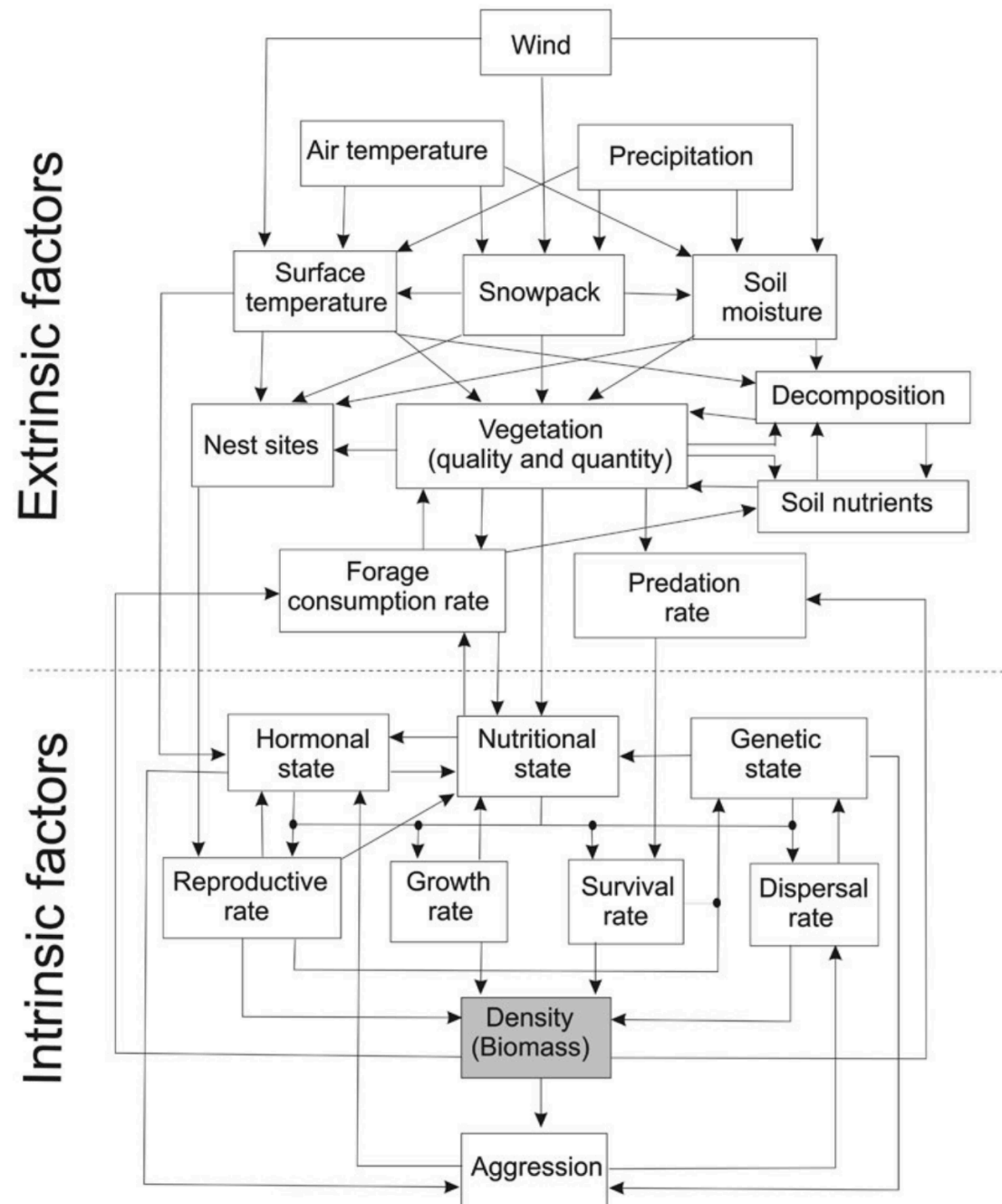


High elevation

Mechanistic approach: understanding the origin of the transformation

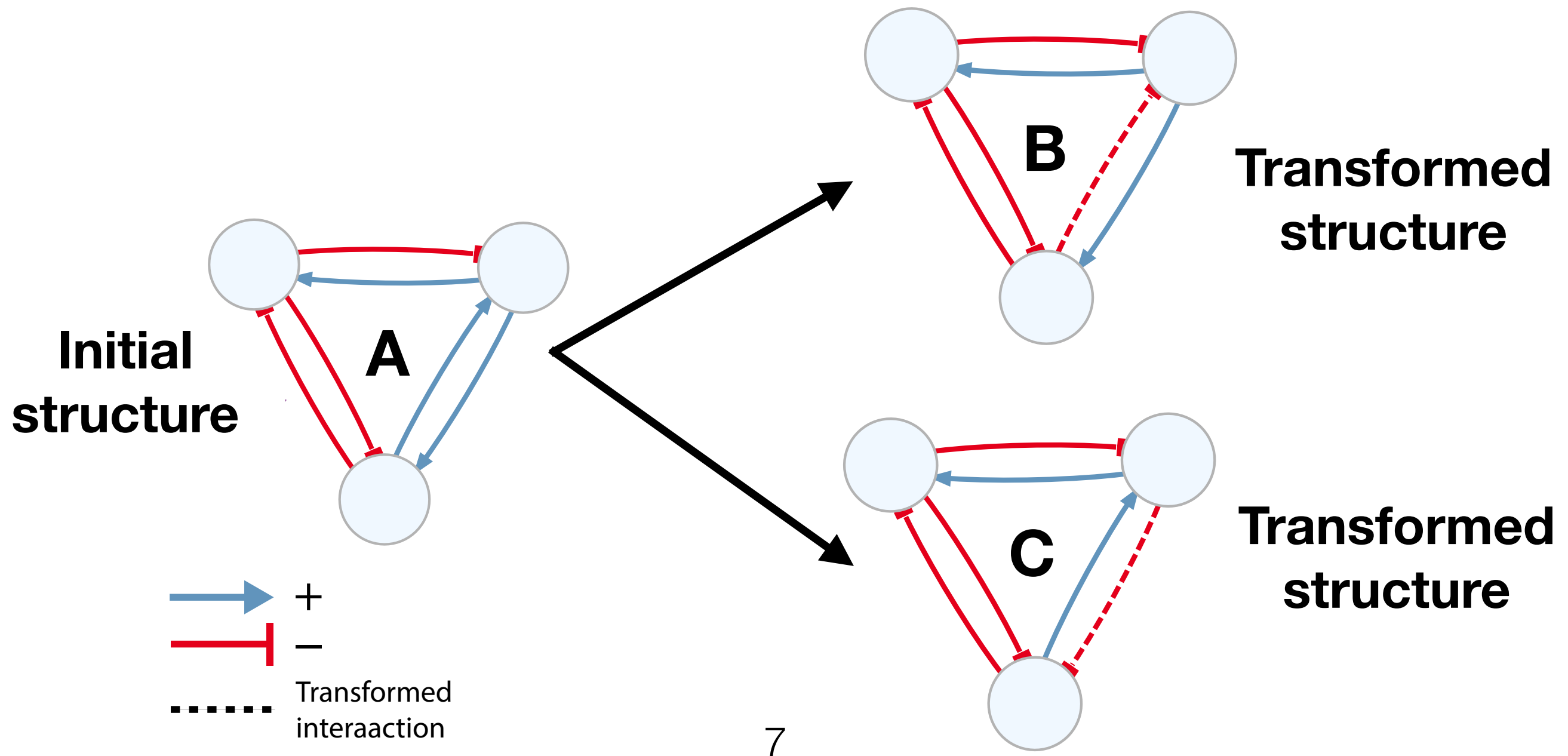


Detailed mechanistic understanding (*why*) \Rightarrow
Predictive power in multispecies community (*when*)



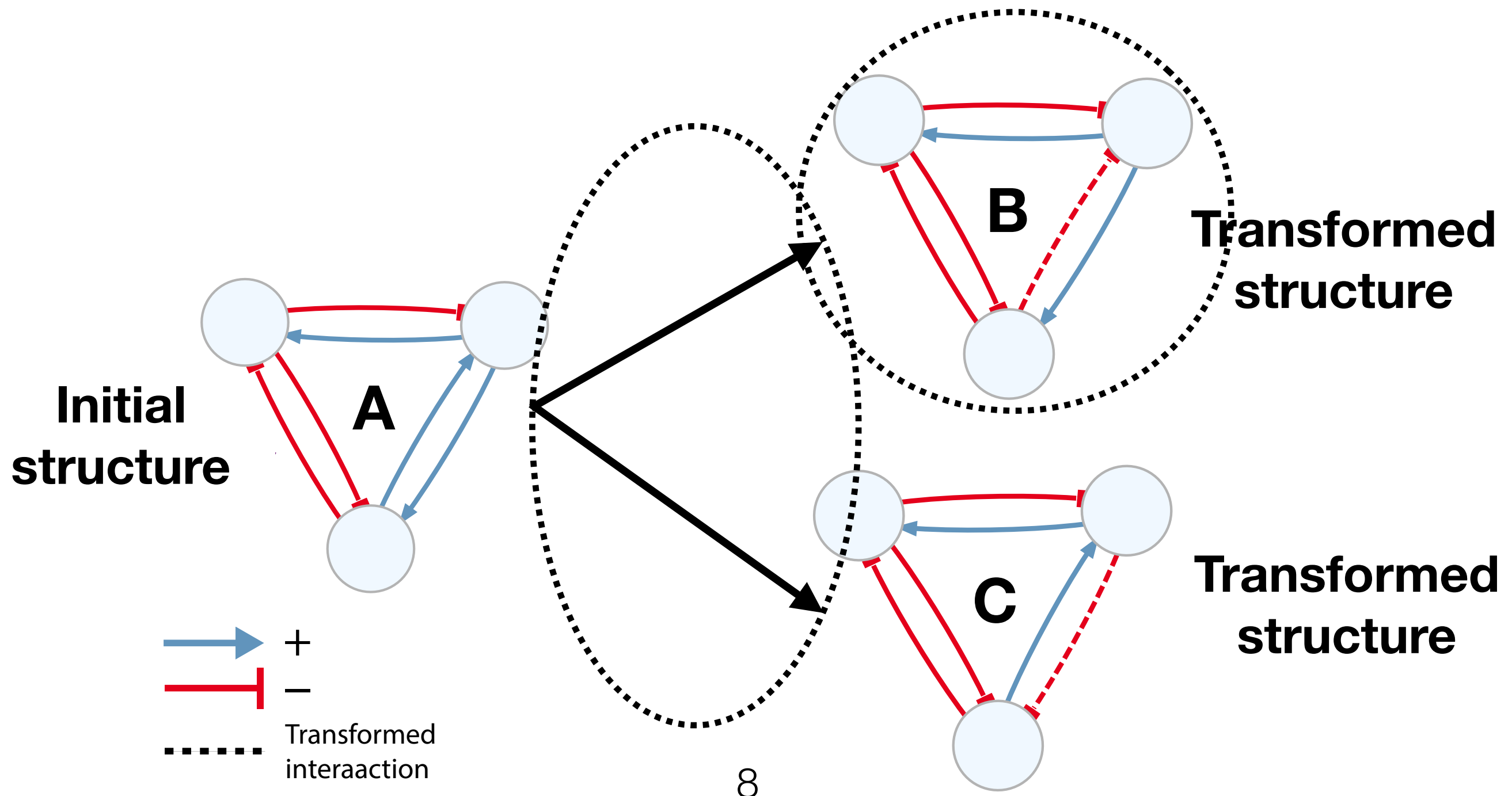
Moving from a mechanistic approach
to a probabilistic one

Transformation in multispecies community



Disentangle the transformation probability

$$\mathbb{P}(\text{Transformation}) = \mathbb{P}(\text{Transition}) * \mathbb{P}(\text{Persistence})$$

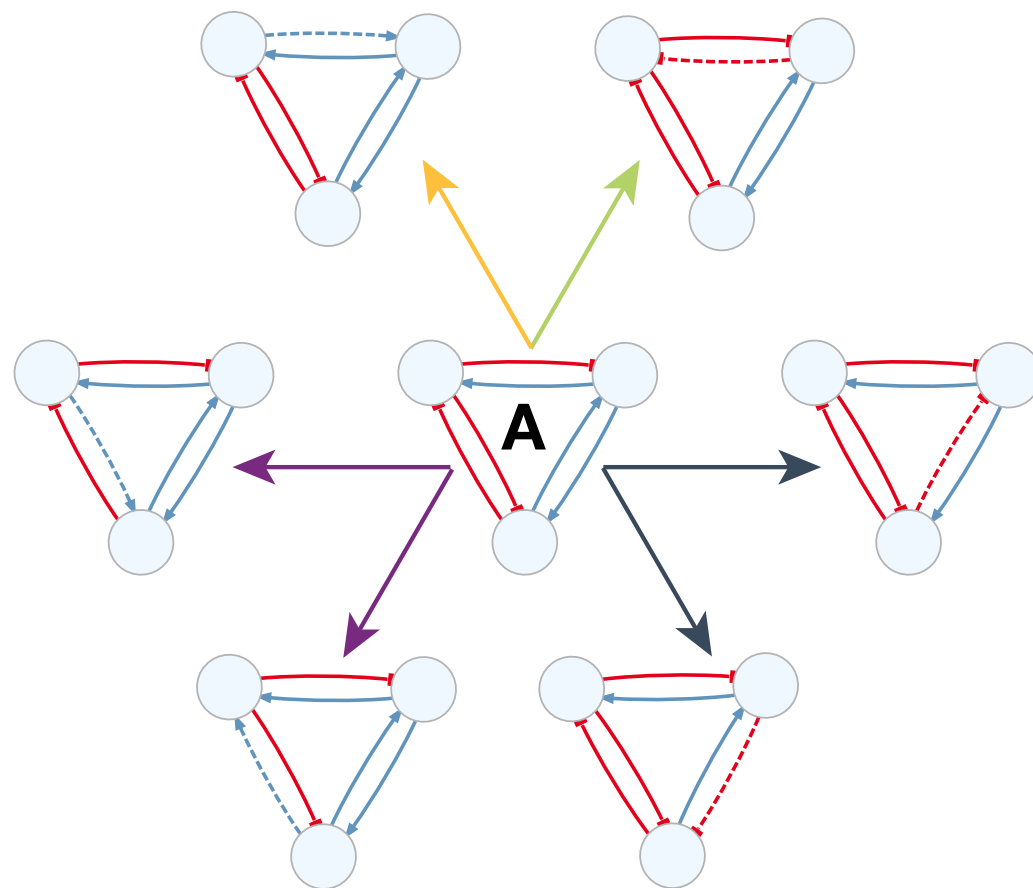


How to estimate transition probability

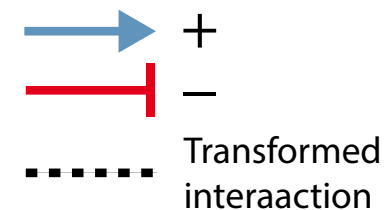
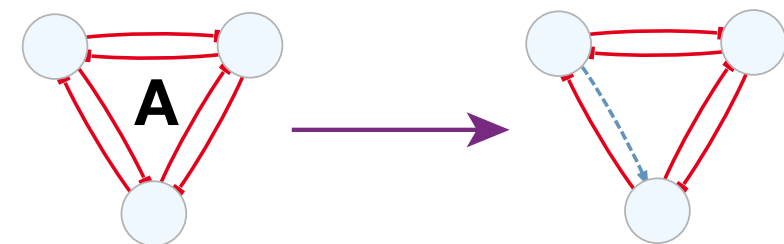
Transition probability

Number of potential transitions depend on the diversity of interaction types

(i) . multiple potential transitions



(ii) . single potential transition



$(+, -) \rightarrow (+, +)$

$(+, -) \rightarrow (-, -)$

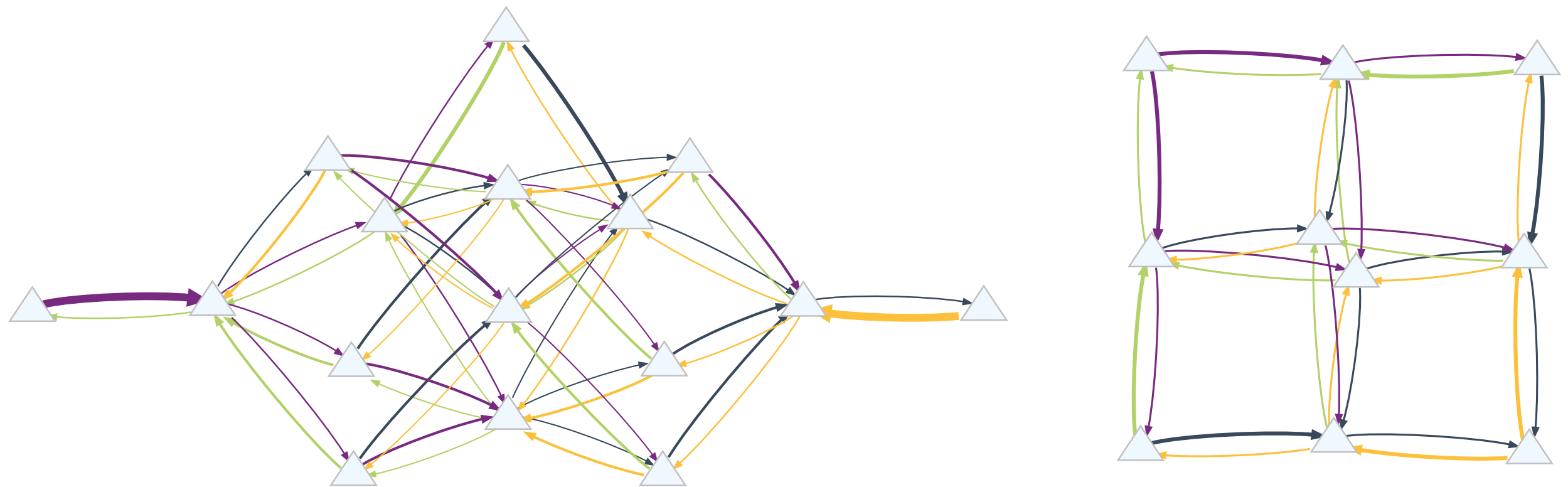
$(+, +) \rightarrow (+, -)$

$(-, -) \rightarrow (+, -)$

$$\mathbb{P}(\text{transition}) = \frac{1}{L_A}$$

Transition probability

Transition diagram for 3-species modules



Biotic structure



Transition
probability

$(+, -) \rightarrow (+, +)$

$(+, -) \rightarrow (-, -)$

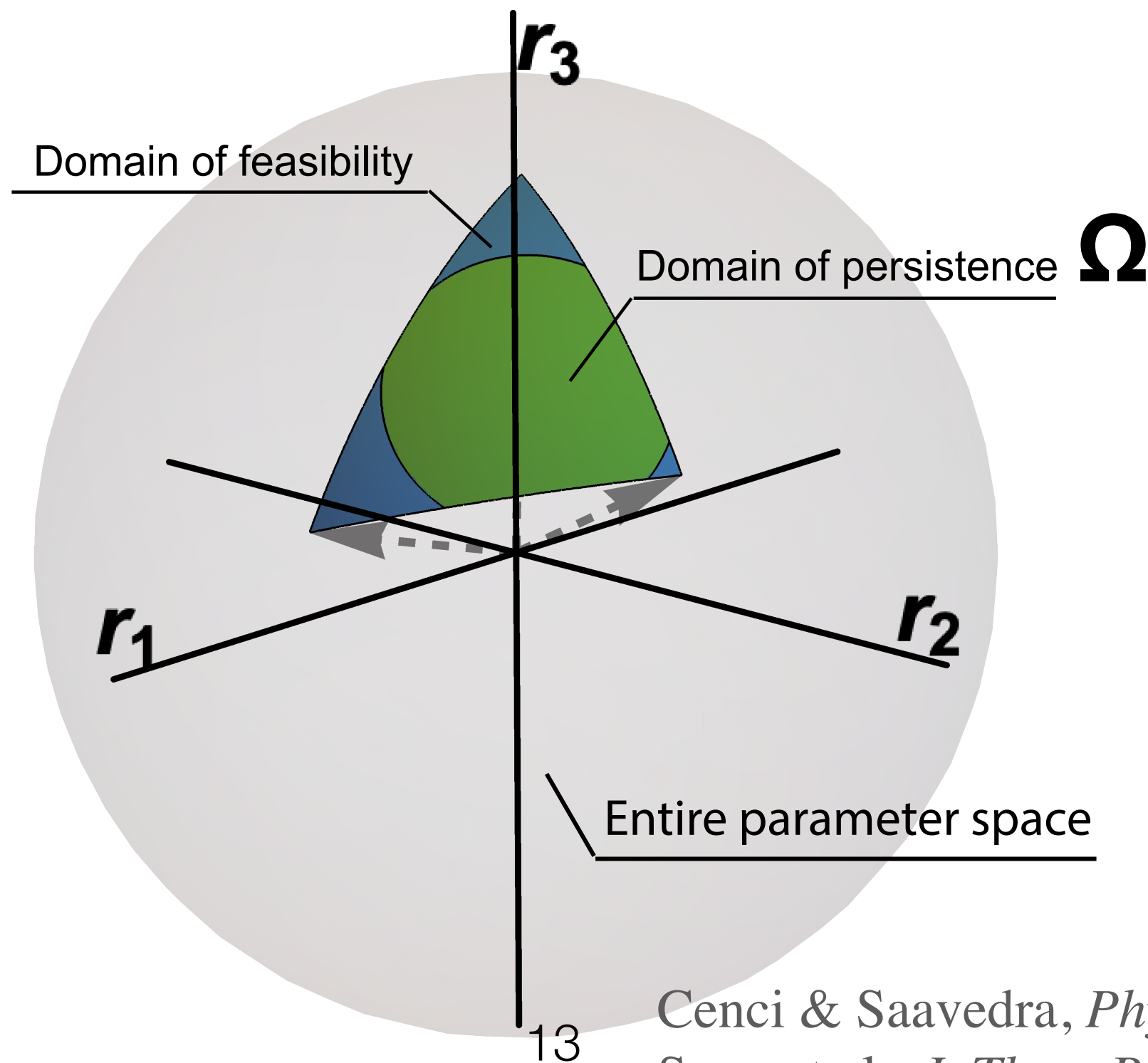
$(+, +) \rightarrow (+, -)$

$(-, -) \rightarrow (+, -)$

How to estimate persistence probability

Persistence probability

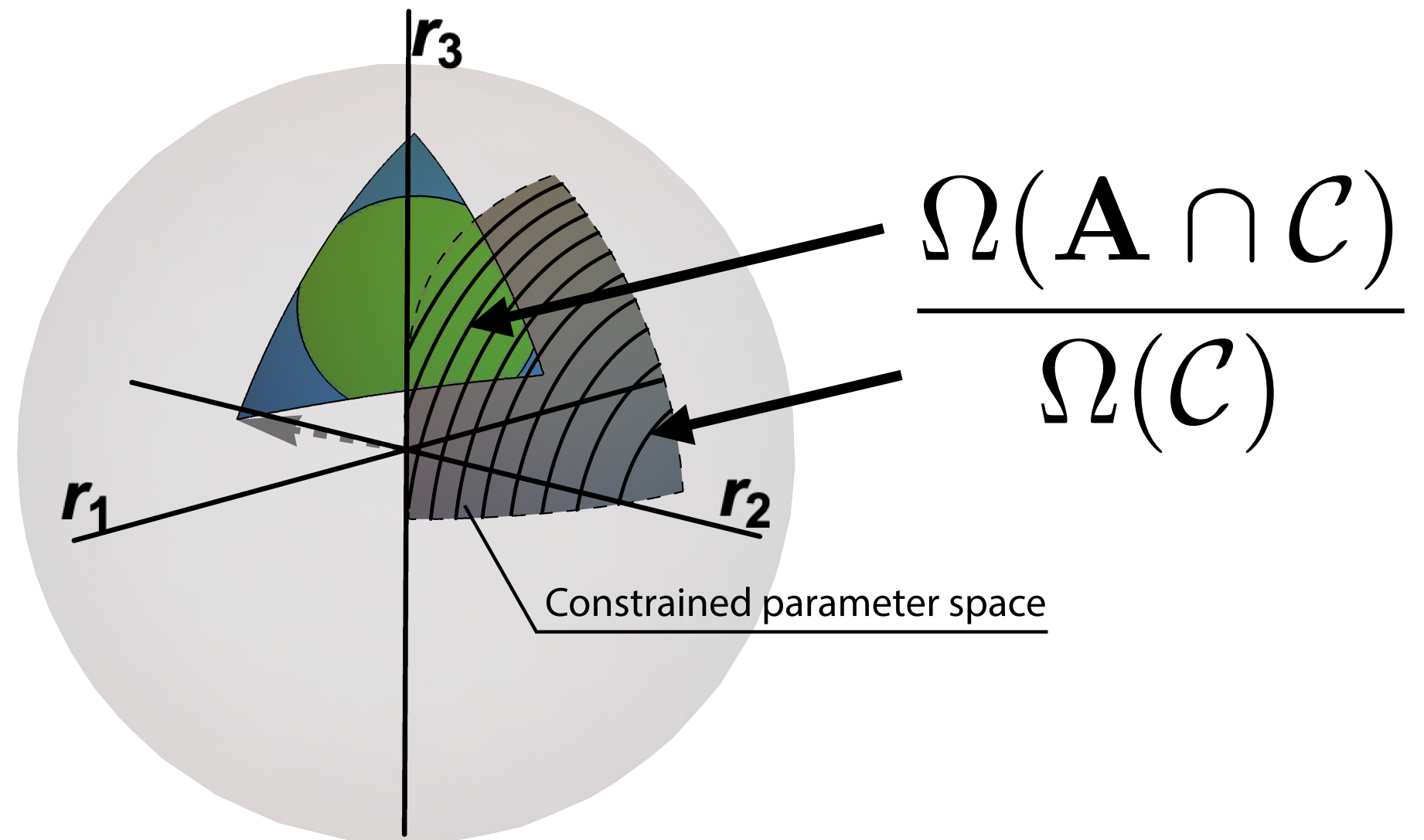
Domain of persistence Ω



Cenci & Saavedra, *Phys. Rev. E* (2018)

Song et al., *J. Theo. Bio.* (2018)

(conditioned) Persistence probability



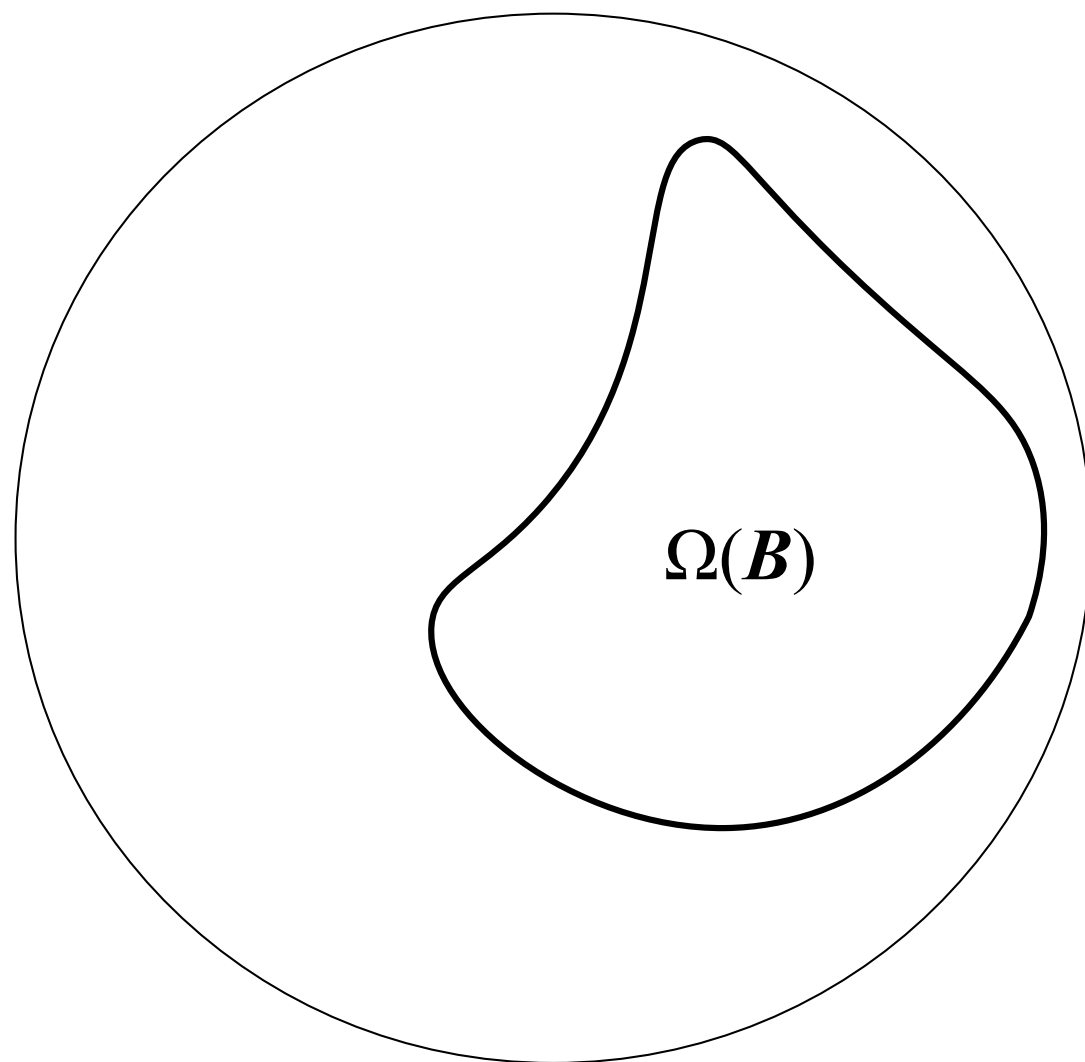
$$\mathbb{P}(\text{persistence}) = \Omega(\mathbf{A}|\mathcal{C}) = \frac{\Omega(\mathbf{A} \cap \mathcal{C})}{\Omega(\mathcal{C})}$$

Biotic structure
14

constrained parameter space

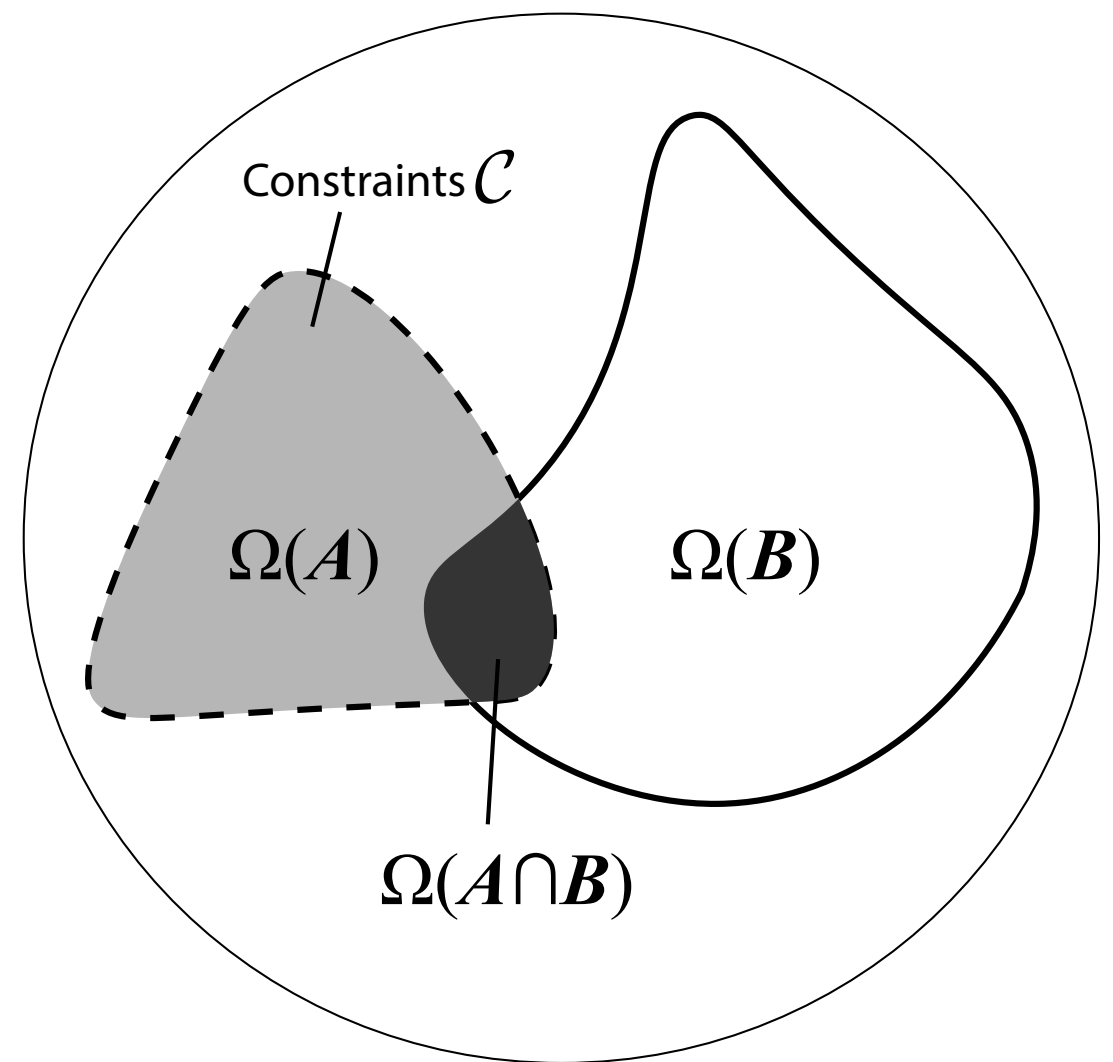
Persistence probability from $\mathbf{A} \rightarrow \mathbf{B}$ in two extreme scenarios

Highly changing environment



$$\mathbb{P}(\text{persistence}) = \Omega(\mathbf{B})$$

Relatively fixed environment

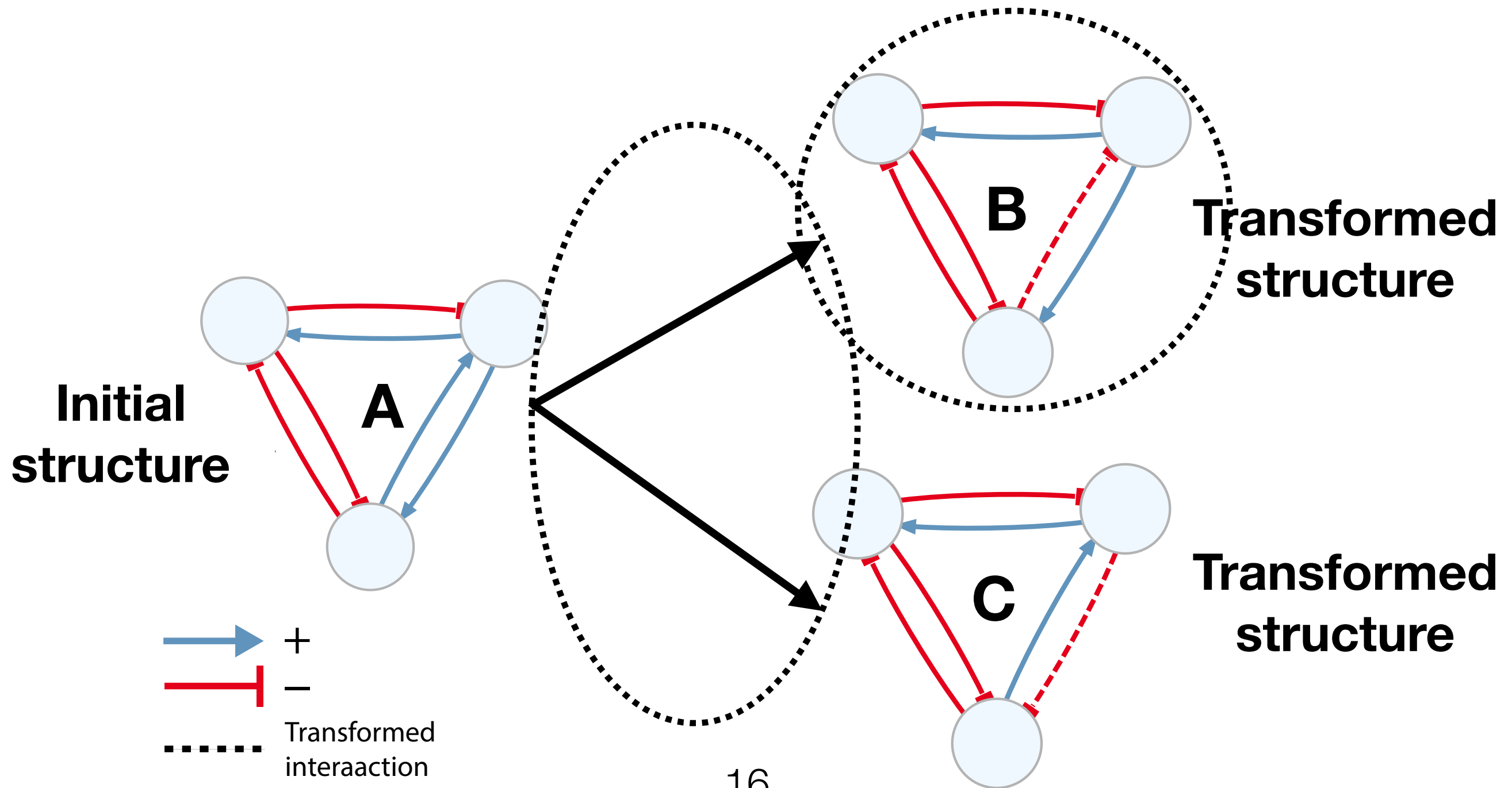


$$\mathbb{P}(\text{persistence}) = \frac{\Omega(\mathbf{A} \cap \mathbf{B})}{\Omega(\mathbf{A})}$$

Summary of the probabilistic approach

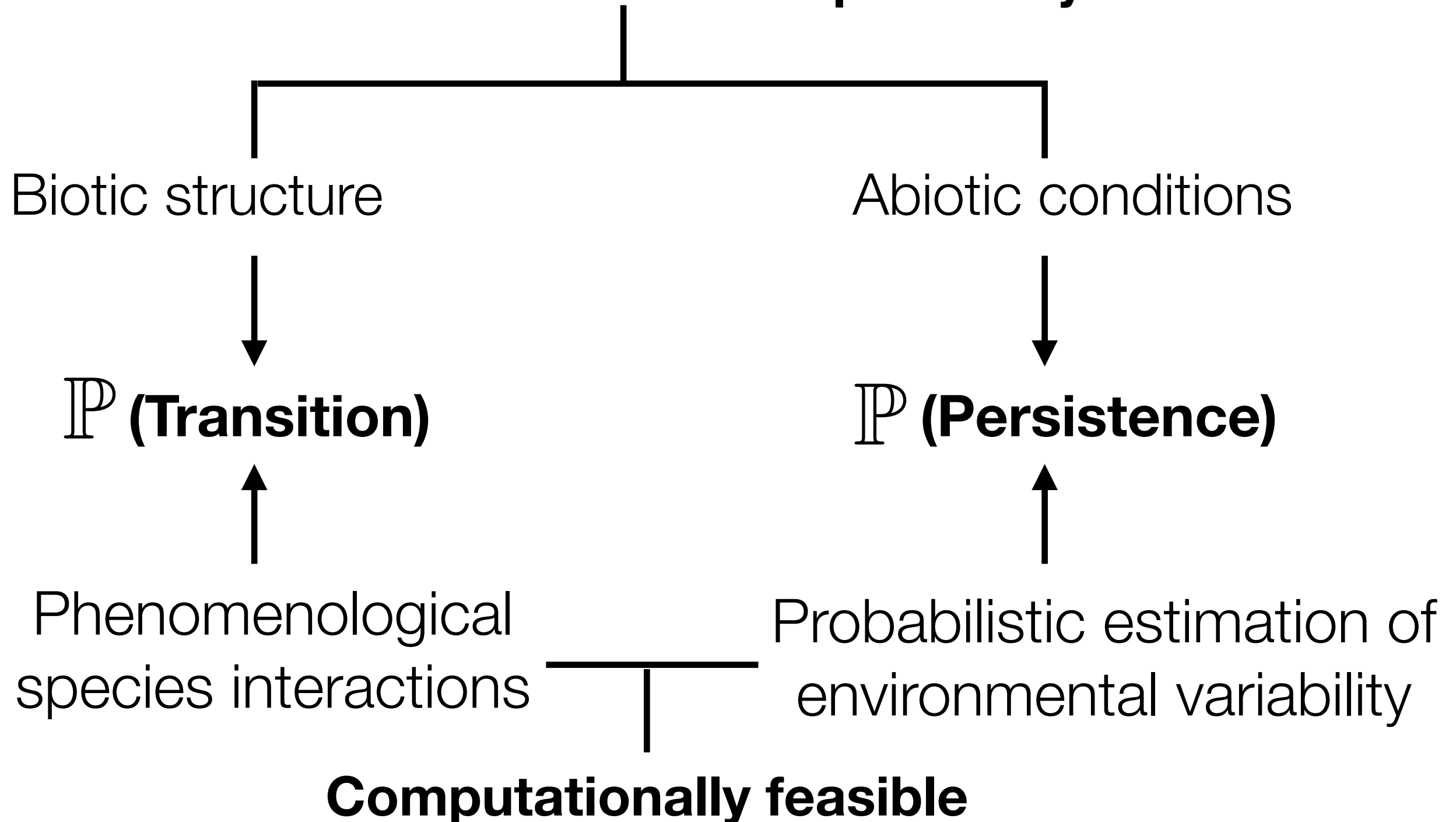
$$1/L_A * \Omega(\mathbf{B}|\mathcal{C})$$

$$\mathbb{P}(\mathbf{Transformation}) = \mathbb{P}(\mathbf{Transition}) * \mathbb{P}(\mathbf{Persistence})$$



Why this probabilistic disentanglement
can be useful for context-dependency?

Sources of context-dependency



Reconciling empirical findings

Contrasting results on transformations

Mutualism is the **most** likely to transform
in **laboratory** experiments.

Review and Synthesis | [Free Access](#)

How context dependent are species interactions?

Scott A. Chamberlain , Judith L. Bronstein, Jennifer A. Rudgers

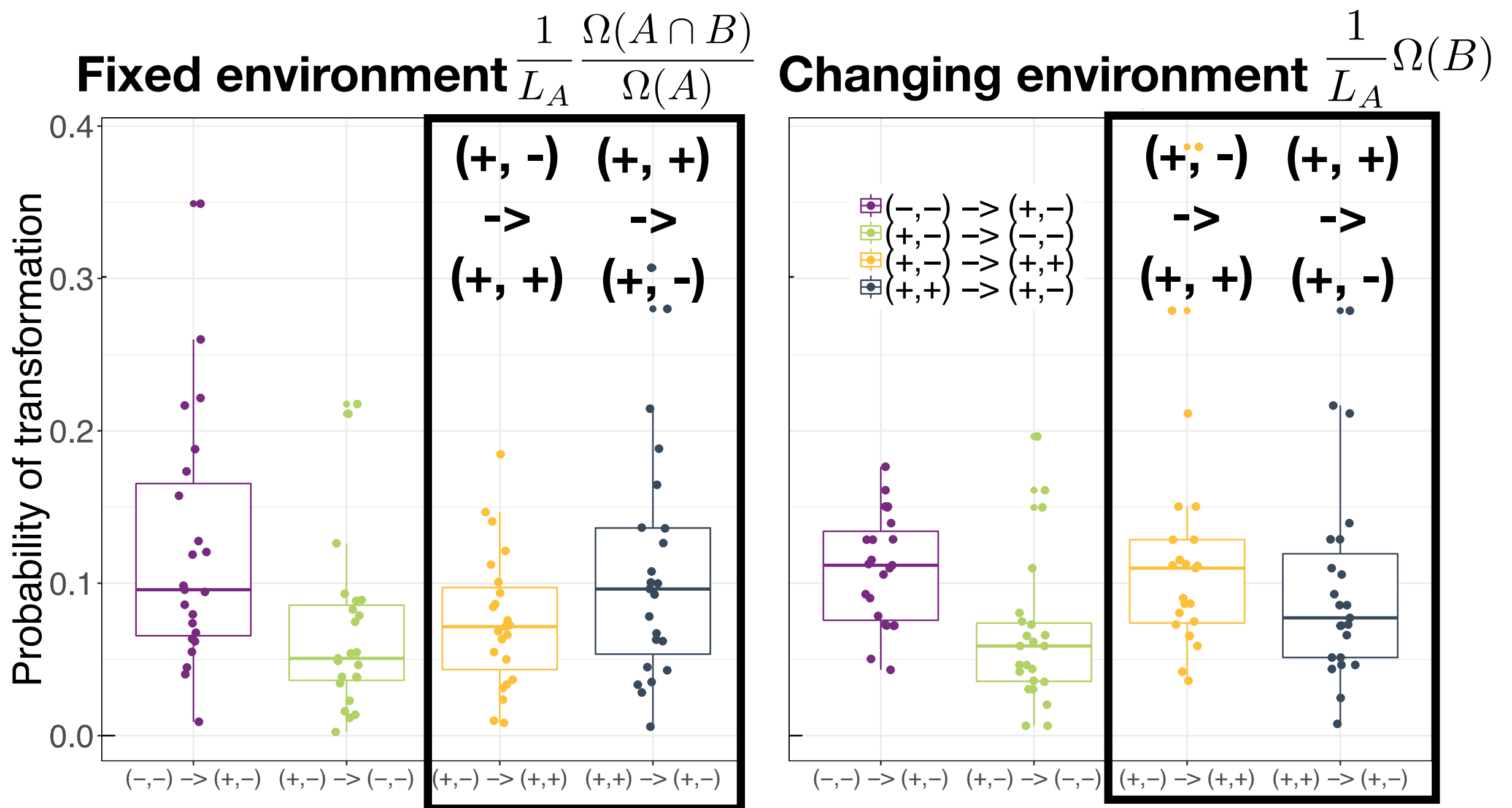
Mutualism is the **least** likely to transform
in **nature**.

Opinion

Mutualisms Are Not on the Verge of Breakdown

Megan E. Frederickson^{1,*}

Inevitable trade-off



A larger domain of persistence

gives advantage to persistence in a changing environment,
but also opens door to more transitions in a fixed environment.

Take home message

- We advocate for a probabilistic approach to provide a null expectation of transformation probability
- The probabilistic approach disentangles the transformation probability into (quantifiable) transition and persistence probabilities
- This framework reconciles why mutualism persists in nature despite being most likely to transform in laboratory experiments

Acknowledgement



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